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*On coincidence points of mappings of the torus into a surface*

For an arbitrary pair of continuous maps $(f, g)$ of the 2-torus $T$ into an arbitrary surface $S$, the Wecken property for the coincidence problem is proved. This means that there exist homotopic maps $f', g'$ such that each Nielsen class of coincidence points of $(f', g')$ consists of one point and has a non-vanishing index. Moreover, every non-vanishing index is equal to $\pm 1$, and every non-vanishing semi-index of Jezierski is equal to 1, if $S$ is neither the sphere nor the projective plane.

Joint work with S. Bogatyi and H. Zieschang.