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*Representations of tame algebras over rational functions*

In the following we use the following notation. If  $B$  is a finite-dimensional algebra over a field  $F$ , we denote by  $B\text{-mod}$  the category of finitely generated left  $B$ -modules. By  $F(x)$  we denote the field of rational functions over  $x$ . We put  $F(x, y) = F(x)(y)$ .

Let  $A$  be a finite-dimensional algebra over the algebraically closed field  $k$ . We put  $A^{k(x)} = A \otimes_k k(x)$  and  $A^{k(x,y)} = A \otimes_k k(x, y)$ .

We prove the following result:

**Theorem** *The algebra  $A$  is of tame representation type if and only if for any indecomposable object  $M$  in  $A^{k(x,y)}\text{-mod}$  such that  ${}_{A^{k(y)}}M$  is an indecomposable  $A^{k(y)}$ -module, there is an indecomposable object  $N$  in  $A^{k(x)}\text{-mod}$  with  ${}_AN$  an indecomposable  $A$ -module such that*

$$M \cong N \otimes_{k(x)} k(x, y).$$

Joint work with Leonardo Salmeron.